The Di-Photon-Excess at 750 GeV An Overview of Possible Explanations

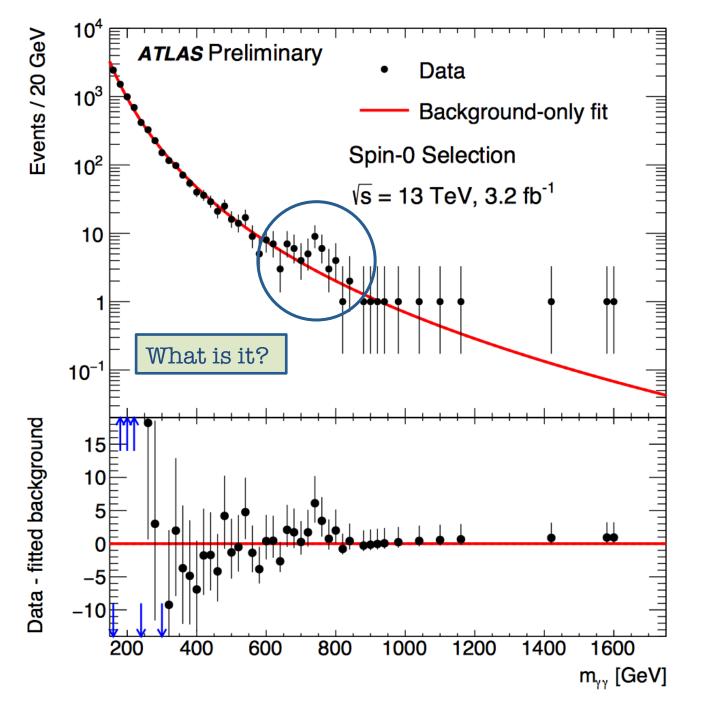
Universität Freiburg May 4th 2016

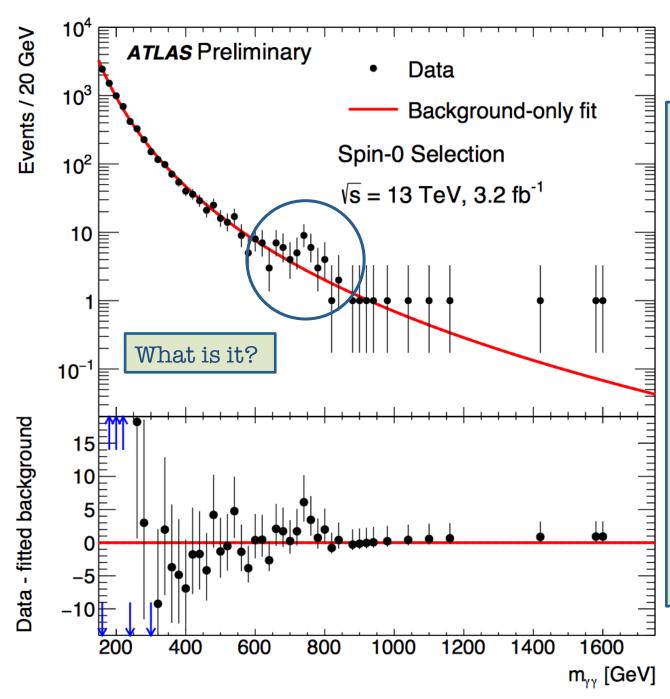
Based on work with Franceschini, Giudice, Kamenik, Pomarol, Rattazzi, Redi, Riva, Strumia, & Torre.

What is the YY resonance at 750 GeV? 1512.04933 Digamma, what next? 1604.06446

Matthew McCullough







This is what I was asked to talk about:

An excess in one or two bins in the diphoton searches by ATLAS and CMS.

Question

How much could there be to say about such a small amount of information?

Answer

I am a theorist... my job is to speculate!

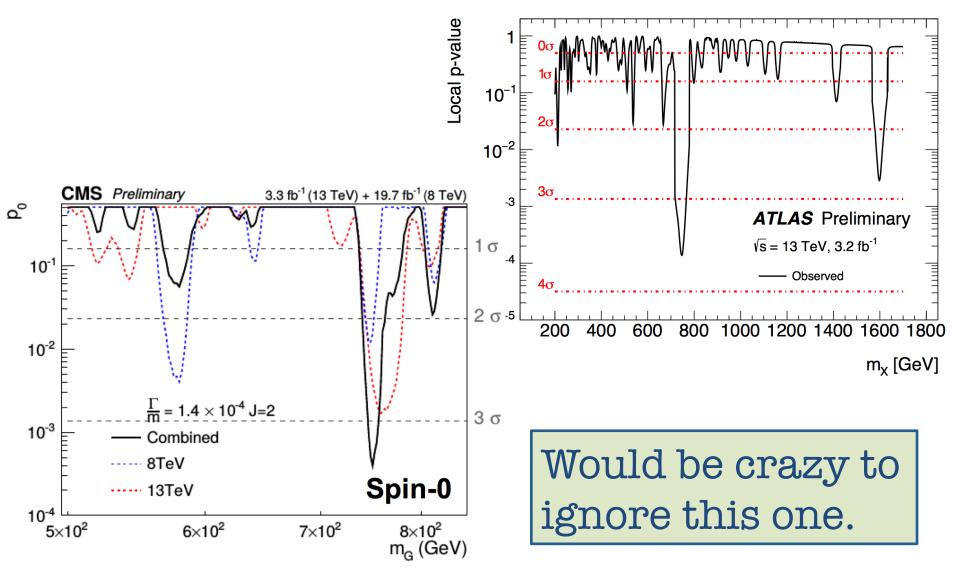
A Minimal Explanation

Statistical Fluctuation

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Statistical Fluctuation

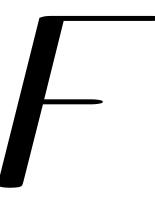
For the rest of this talk I will try not to repeat "if it is real" etc.



Only data will tell.

Know only one thing for certain...

It is called:

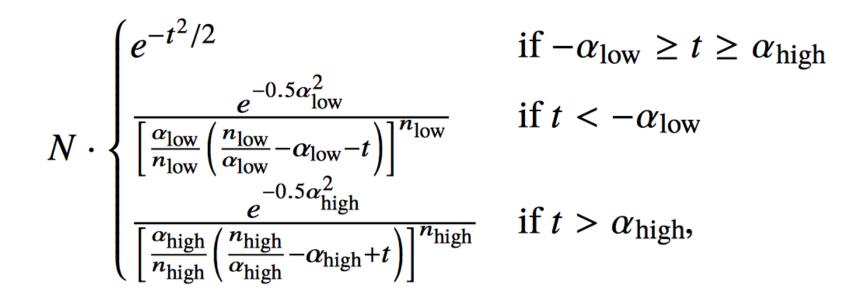




Plan for this talk

- First focus on upcoming experimental observables, guided by the simplest class of models: Singlet Scalar coupled to SM fields.
- Along the way, can we answer some big picture questions using these observables?
 - Invisible decays: Something to do with DM?
 - CP: A Higgs? A Goldstone boson?
 - Width: Weakly or Strongly interacting?
 - Pair production: Other resonances?
- Finish with a sampling menu of other interesting models.

• I am a theorist.



• My crystal ball does not look like this.

• I am a theorist.

$$\mathcal{L}_{5}^{CP-even} = \frac{F}{\Lambda} \left[c_{gg} \frac{g_{3}^{2}}{2} G^{a}_{\mu\nu} G^{a\,\mu\nu} + c_{WW} \frac{g_{2}^{2}}{2} W^{a}_{\mu\nu} W^{a\,\mu\nu} + c_{BB} \frac{g_{1}^{2}}{2} B_{\mu\nu} B^{\mu\nu} + c_{\psi} \left(H \bar{\psi}_{L} \psi_{R} + h.c. \right) + c_{H} |D_{\mu} H|^{2} - c'_{H} (|H|^{4} - v^{4}) \right]$$

• My crystal ball looks like this.

- Effective field theory is the appropriate tool when you do not know the full theory.
- For first part of talk, assume singlet scalar.

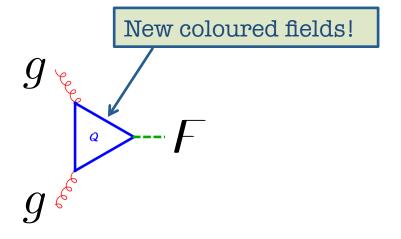
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- Write down all operators (couplings) consistent with symmetries.
- If a scale separation present ($M_F \ll \Lambda$) this EFT should accurately capture all pheno.

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• Coupling to gluons...



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New $U(1)_{v}$, $SU(2)_{w}$ charged fields!

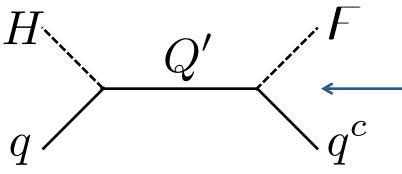
Q

• Coupling to photons, W, Z, h...

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• Comes from...

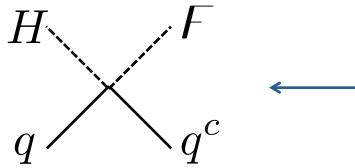


Can arise at tree-level. Need new heavy quarks, or extended scalar sector (2HDM).

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• ...after integrating out heavy fields...



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$$+ c_{\psi} \left(H \bar{\psi}_{L} \psi_{R} + h.c. \right) + c_{H} |D_{\mu}H|^{2} - c'_{H} (|H|^{4} - v^{4}) \right]$$

$$\cdot \dots \text{ and then, whenever } H \rightarrow \frac{v+h}{\sqrt{2}}$$

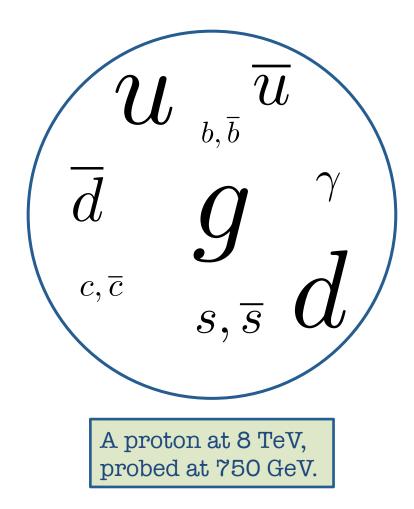
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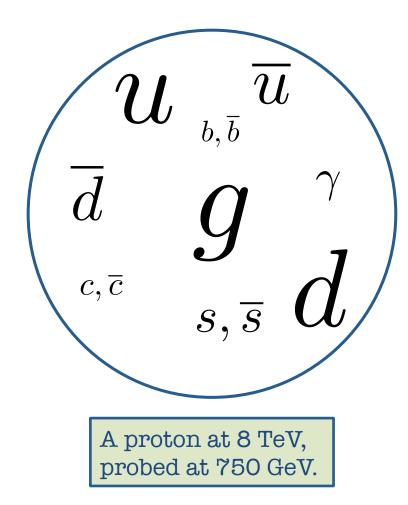
scalar sector (2HDM).

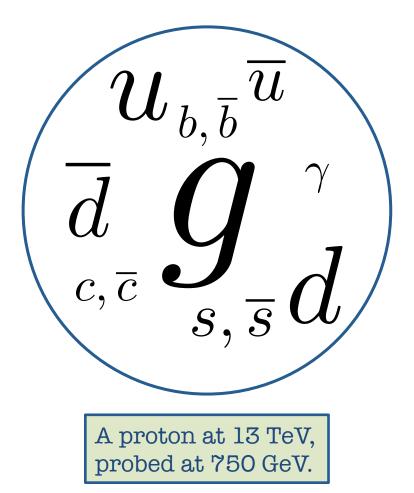
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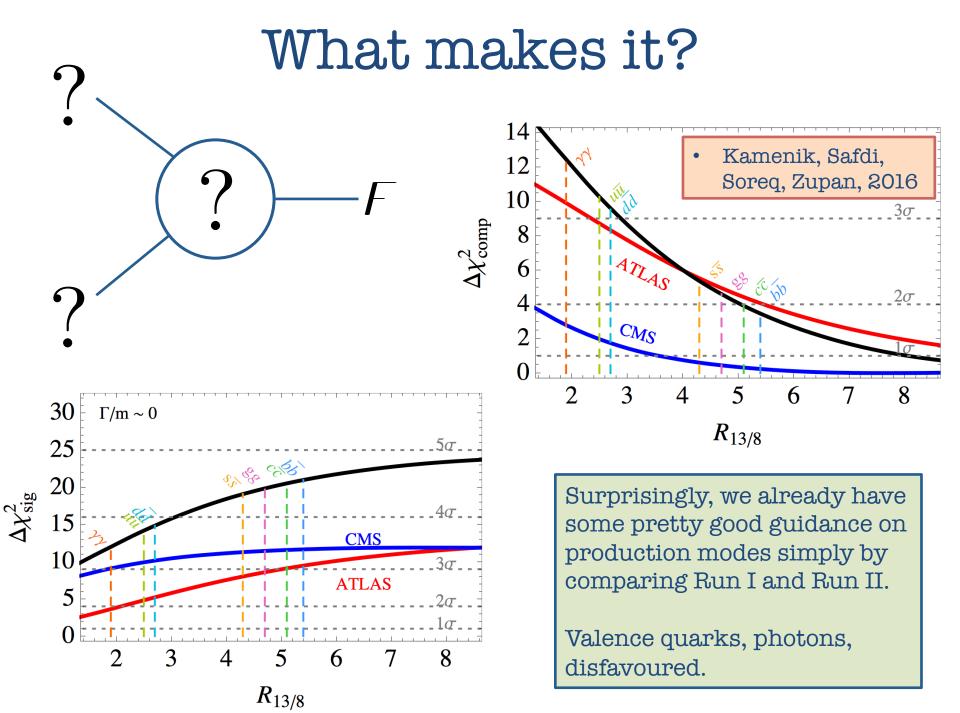
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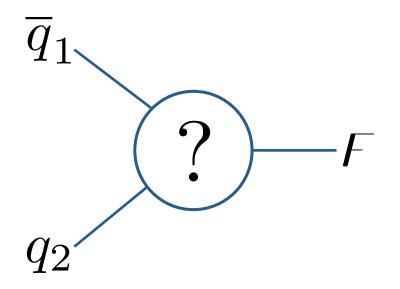
• This is everything you need for a low energy description!











Flavour constraints already very tough, so off-diagonal couplings to quarks must be extremely small.

Flavour-diagonal production implied.

Table from: **"What next?"** Franceschini, Giudice, Kamenik, MM, Riva, Strumia, Torre. 2016

Observable	Bound
Δm_K	$\sqrt{\operatorname{Re} c_{sd} c_{ds}^*} < 2 \times 10^{-4} \left(\Lambda/\mathrm{TeV}\right)$
ϵ_K	$\sqrt{\mathrm{Im} c_{sd} c_{ds}^*} < 1 \times 10^{-5} \left(\Lambda/\mathrm{TeV} \right)$
Δm_D	$\sqrt{\operatorname{Re} c_{cu} c_{uc}^*} < 7 \times 10^{-4} \left(\Lambda/\mathrm{TeV}\right)$
$ q/p , \phi_D$	$\sqrt{\mathrm{Im} c_{cu} c_{uc}^*} < 3 \times 10^{-4} (\Lambda/\mathrm{TeV})$
Δm_{B_d}	$\sqrt{\operatorname{Re} c_{bd} c_{db}^*} < 2 \times 10^{-3} \left(\Lambda/\mathrm{TeV}\right)$
$S_{oldsymbol{\psi}K_s}$	$\sqrt{\mathrm{Im} c_{bd} c_{db}^*} < 1 \times 10^{-3} \left(\Lambda/\mathrm{TeV}\right)$
Δm_{B_s}	$\sqrt{\operatorname{Re} c_{bs} c_{sb}^*} < 1 \times 10^{-2} \left(\Lambda/\mathrm{TeV}\right)$

In the longer term we will be able to use associated production to determine production modes.

			F couples to						
	$\sqrt{s} = 13 \mathrm{TeV}$	eq.	$b\bar{b}$	$c\bar{c}$	$s \overline{s}$	$u \bar{u}$	$dar{d}$	GG	
	σ_{Fj}/σ_{F}	(20a)	9.2%	7.6%	6.8%	6.7%	6.2%	27.%	
-	σ_{Fb}/σ_F	(20b)	6.2%	0	0	0	0	0.32%	
	σ_{Fjj}/σ_{F}	(20c)	1.4%	1.0%	0.95%	1.2%	1.0%	4.7%	
	σ_{Fjb}/σ_F	(20d)	1.2%	0.18%	0.19%	0.34%	0.31%	0.096%	
	σ_{Fbb}/σ_{F}	(20e)	0.31%	0.17%	0.18%	0.34%	0.31%	0.024%	
	$\sigma_{F\gamma}/\sigma_F$	(28b)	0.37%	1.5%	0.38%	1.6%	0.41%	$\ll 10^{-6}$	
	σ_{FZ}/σ_{F}	(28b)	1.1%	1.1%	1.3%	2.0%	1.9%	$3 10^{-6}$	
	σ_{FW^+}/σ_F	(28c)	$5 \ 10^{-5}$	1.7%	2.4%	2.6%	4.1%	$\ll 10^{-6}$	
	σ_{FW^-}/σ_F	(28d)	$3 \ 10^{-5}$	2.3%	1.2%	1.0%	1.7%	$\ll 10^{-6}$	
	σ_{Fh}/σ_F	(28e)	1.0%	1.1%	1.2%	1.9%	1.8%	$1 10^{-6}$	

Table from: **"What next?"** Franceschini, Giudice, Kamenik, MM, Riva, Strumia, Torre. 2016

If it is produced by gluon fusion, this can be distinguished from quark production due to large fraction of additional jets.

	-				F cou	ples to			
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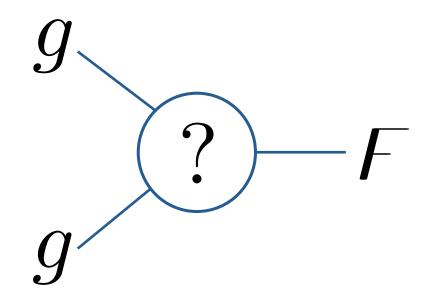
If it is produced from bottom quarks, this can be distinguished from other channels by large associated bottomquark production.

0					F cou	ples to \wedge		
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If it is produced from quarks, associated EW boson production is expected, but not for gluon production.

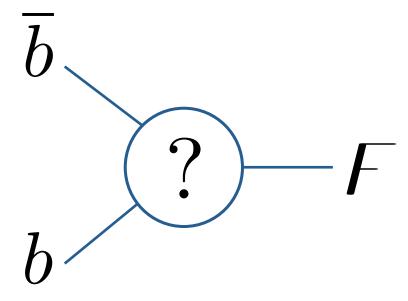
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• Produced from



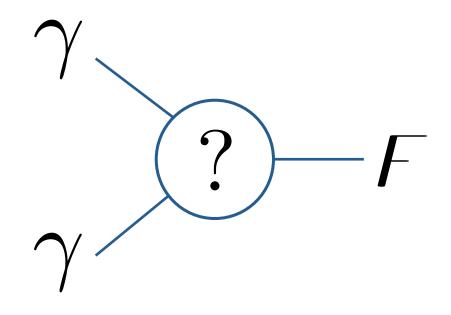
• Means new coloured states just around the corner.

• Produced from



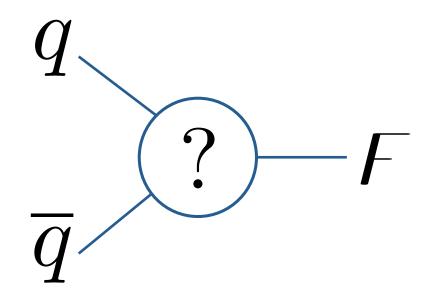
• Means it might be related to the Higgs sector. Maybe 2HDM? Maybe new third-generation related heavy quarks?

• Produced from



• Means large couplings/multiplicities of new electrically charged states. New physics weak-sector only?

• Produced from



• I have no idea what is going on if this is the case...

and whatever makes it...



and probably other things as well...

• Excess already points towards 3 fb in digamma.

$\sigma(pp \to \gamma\gamma)$	$\sqrt{s} =$	8 TeV	$\sqrt{s} = 1$	13 TeV
	narrow	broad	narrow	broad
CMS	$0.63\pm0.31{\rm fb}$	$0.99\pm1.05\mathrm{fb}$	$4.8 \pm 2.1\mathrm{fb}$	$7.7 \pm 4.8\mathrm{fb}$
ATLAS	$0.21\pm0.22{\rm fb}$	$0.88\pm0.46\mathrm{fb}$	$5.5 \pm 1.5\mathrm{fb}$	$7.6\pm1.9\mathrm{fb}$

Other channels
already place
interesting
constraints, and
set the scene for
the cross section
required for
discovery in
other other
decay modes.

	final	$\sigma \text{ at } \sqrt{s} = 8 \mathrm{TeV}$			σ at -	$\sqrt{s} = 13 \mathrm{Te}^{3}$	V
	state f	observed	expected	ref.	observed	expected	ref.
	$e^+e^-, \mu^+\mu^-$	$< 1.2 { m ~fb}$	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]
	$\tau^+\tau^-$	< 12 fb	$< 15 {\rm ~fb}$	[3]	$< 60 \mathrm{fb}$	$< 67{\rm fb}$	[260]
	$Z\gamma$	$< 11 { m ~fb}$	$< 11~{\rm fb}$	[3]	$< 28{\rm fb}$	$< 40{\rm fb}$	[261]
	ZZ	$< 12 {\rm ~fb}$	$<20~{\rm fb}$	[3]	$< 200 \mathrm{fb}$	$<220{\rm fb}$	[262]
I	Zh	$< 19 {\rm ~fb}$	$<28~{\rm fb}$	[3]	$< 116 \mathrm{fb}$	$< 116{\rm fb}$	[263]
	hh	$< 39 { m ~fb}$	$<42~{\rm fb}$	[3]	$< 120 \mathrm{fb}$	$< 110{\rm fb}$	[264]
	W^+W^-	$< 40 {\rm ~fb}$	$< 70~{\rm fb}$	[3]	$< 300 {\rm fb}$	$< 300{\rm fb}$	[265]
	$t\bar{t}$	< 450 fb	$< 600 {\rm ~fb}$	[3]			
	invisible	$< 0.8 { m ~pb}$	-	[3]			
	$b\overline{b}$	$\lesssim 1{ m pb}$	$\lesssim 1\mathrm{pb}$	[3]			
	jj	$\lesssim~2.5~{ m pb}$	-	[3]			

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Lepton decays	
strongly	
constrained.	4
Already puts	
universal graviton	
in tension.	

		fnol	a ot	$\sqrt{2} - 9 \operatorname{T_{2}} U$		a at	$\sqrt{2} - 12 \mathrm{Te}^{2}$	V
		final	o at v	$\sqrt{s} = 8 \mathrm{TeV}$			$\sqrt{s} = 13 \mathrm{Te}$	v
		state f	observed	expected	ref.	observed	expected	ref.
	<	$e^+e^-, \mu^+\mu^-$	< 1.2 fb	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]
		$ au^+ au^-$	< 12 fb	< 15 fb	[2]	< 60 fb	< 07 fb	[260]
n		$Z\gamma$	$< 11 { m ~fb}$	$< 11~{\rm fb}$	[3]	$< 28{ m fb}$	$< 40{\rm fb}$	[261]
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	final	$\sigma \text{ at } \sqrt{s} = 8 \text{ TeV}$			σ at $\sqrt{s} = 13 \text{TeV}$			
	state f	observed	expected	ref.	observed	expected	ref.	
	$\boxed{e^+e^-,\mu^+\mu^-}$	$< 1.2 { m ~fb}$	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]	
	$\tau^+\tau^-$	< 12 fb	< 15 fb	[3]	< 60 fb	$< 67{ m fb}$	[260]	
Weak decays very	$Z\gamma$	$< 11 { m ~fb}$	$< 11~{\rm fb}$	[3]	$< 28{\rm fb}$	$< 40\mathrm{fb}$	[261]	
interesting.	ZZ	$< 12 { m ~fb}$	$<20~{\rm fb}$	[3]	$< 200 {\rm fb}$	$<220{\rm fb}$	[262]	
Already rules out	Zh	$< 19 { m ~fb}$	$<28~{\rm fb}$	[3]	$< 116{\rm fb}$	$< 116{\rm fb}$	[263]	
significant mixing	hh	$< 39 { m ~fb}$	$< 42 {\rm ~fb}$	[3]	$< 120{\rm fb}$	$< 110{\rm fb}$	[264]	
with the Higgs.	W^+W^-	$< 40 {\rm ~fb}$	$<70~{\rm fb}$	[3]	$< 300 {\rm fb}$	$< 300{\rm fb}$	[265]	
	$tar{t}$	$< 450 \ { m fb}$	< 600 fb	[3]				
	invisible	$< 0.8 { m ~pb}$	-	[3]				
	$b\overline{b}$	$\lesssim 1{ m pb}$	$\lesssim 1\mathrm{pb}$	[3]				
	jj	$\lesssim~2.5~{ m pb}$	-	[3]				

• Excess already points towards 3 fb in digamma.

$\sigma(pp \to \gamma\gamma)$	$\sqrt{s} =$	8 TeV	$\sqrt{s} = 13 \mathrm{TeV}$		
	narrow	arrow broad		broad	
CMS	$0.63 \pm 0.31\mathrm{fb}$	$0.99 \pm 1.05\mathrm{fb}$	$4.8 \pm 2.1\mathrm{fb}$	$7.7 \pm 4.8\mathrm{fb}$	
ATLAS	$0.21\pm0.22{\rm fb}$	$0.88\pm0.46\mathrm{fb}$	$5.5 \pm 1.5\mathrm{fb}$	$7.6\pm1.9\mathrm{fb}$	

final	σ at $\sqrt{s} = 8 \mathrm{TeV}$			σ at $\sqrt{s} = 13 \mathrm{TeV}$			
state f	observed	expected	ref.	observed	expected	ref.	
$\boxed{e^+e^-,\mu^+\mu^-}$	$< 1.2 { m ~fb}$	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]	
$ au^+ au^-$	$< 12 {\rm ~fb}$	$<15~{\rm fb}$	[3]	$< 60 \mathrm{fb}$	$< 67{\rm fb}$	[260]	
$Z\gamma$	$< 11 { m ~fb}$	$< 11~{\rm fb}$	[3]	$< 28{\rm fb}$	$< 40{\rm fb}$	[261]	
ZZ	$< 12 {\rm ~fb}$	$<20~{\rm fb}$	[3]	$< 200 {\rm fb}$	$<220{\rm fb}$	[262]	
Zh	$< 19 {\rm ~fb}$	$<28~{\rm fb}$	[3]	$< 116 \mathrm{fb}$	$< 116{\rm fb}$	[263]	
hh	$< 39 { m ~fb}$	$< 42 {\rm ~fb}$	[3]	$< 120 \mathrm{fb}$	$< 110{\rm fb}$	[264]	
W^+W^-	< 40 fb	< 70 fb	[3]	< 300 fb	$< 300 {\rm fb}$	[265]	
$tar{t}$	$< 450 { m ~fb}$	$< 600 {\rm ~fb}$	[3]				
invisible	< 0.8 pb	-	[3]				
$b\overline{b}$	$\lesssim 1\mathrm{pb}$	$\lesssim 1\mathrm{pb}$	[3]				
jj	$\lesssim~2.5~{ m pb}$	-	[3]				

Top decays already so constraining that they cannot be "coloured guys in loop".

Excess already points towards 3 fb in digamma.

$\sigma(pp \to \gamma\gamma)$	$\sqrt{s} =$	8 TeV	$\sqrt{s} = 13 \mathrm{TeV}$		
	narrow	broad	narrow	broad	
CMS	$0.63\pm0.31{\rm fb}$	$0.99\pm1.05\mathrm{fb}$	$4.8 \pm 2.1\mathrm{fb}$	$7.7 \pm 4.8\mathrm{fb}$	
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	final	σ at $\sqrt{s} = 8 \mathrm{TeV}$			$\sigma \text{ at } \sqrt{s} = 13 \text{TeV}$		
	state f	observed	expected	ref.	observed	expected	ref.
	$e^+e^-, \mu^+\mu^-$	< 1.2 fb	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]
	$\tau^+\tau^-$	< 12 fb	$<15~{\rm fb}$	[3]	$< 60 \mathrm{fb}$	$< 67{ m fb}$	[260]
	$Z\gamma$	$< 11 {\rm ~fb}$	$< 11~{\rm fb}$	[3]	$< 28{ m fb}$	$< 40{\rm fb}$	[261]
	ZZ	$< 12 {\rm ~fb}$	$<20~{\rm fb}$	[3]	$< 200 {\rm fb}$	$<220{\rm fb}$	[262]
	Zh	$< 19 {\rm ~fb}$	$<28~{\rm fb}$	[3]	$< 116\mathrm{fb}$	$< 116{\rm fb}$	[263]
	hh	$< 39 {\rm ~fb}$	< 42 fb	[3]	$< 120\mathrm{fb}$	$< 110{\rm fb}$	[264]
	W^+W^-	$< 40 {\rm ~fb}$	$< 70 {\rm ~fb}$	[3]	$< 300 {\rm fb}$	$< 300{\rm fb}$	[265]
	$tar{t}$	$< 450 { m ~fb}$	$< 600 {\rm ~fb}$	[3]			
B-quark decays	invisible	< 0.8 pb	-	[3]			
not too important	$b\overline{b}$	$\lesssim 1\mathrm{pb}$	$\lesssim 1\mathrm{pb}$	[3]			
yet.	jj	$\lesssim~2.5$ pb	-	[3]			

• Excess already points towards 3 fb in digamma.

$\sigma(pp \to \gamma\gamma)$	$\sqrt{s} =$	8 TeV	$\sqrt{s} = 13 \mathrm{TeV}$		
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	final	$\sigma \text{ at } \sqrt{s} = 8 \text{ TeV}$			$\sigma \text{ at } \sqrt{s} = 13 \text{TeV}$			
	state f	observed	expected	ref.	observed	expected	ref.	
	$e^+e^-,\mu^+\mu^-$	< 1.2 fb	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]	
	$ au^+ au^-$	$< 12 {\rm ~fb}$	$<15~{\rm fb}$	[3]	$< 60 \mathrm{fb}$	$< 67{\rm fb}$	[260]	
	$Z\gamma$	$< 11 { m ~fb}$	$< 11~{\rm fb}$	[3]	$< 28{ m fb}$	$< 40{\rm fb}$	[261]	
	ZZ	$< 12 {\rm ~fb}$	$<20~{\rm fb}$	[3]	$< 200 {\rm fb}$	$<220{\rm fb}$	[262]	
	Zh	$< 19 {\rm ~fb}$	$<28~{\rm fb}$	[3]	$< 116\mathrm{fb}$	$< 116{\rm fb}$	[263]	
	hh	$< 39 {\rm ~fb}$	$< 42 {\rm ~fb}$	[3]	$< 120\mathrm{fb}$	$< 110{\rm fb}$	[264]	
	W^+W^-	$< 40 {\rm ~fb}$	$< 70~{\rm fb}$	[3]	$< 300 {\rm fb}$	$< 300{\rm fb}$	[265]	
	$tar{t}$	$< 450 { m ~fb}$	$< 600~{\rm fb}$	[3]				
	invisible	$< 0.8 {\rm ~pb}$	-	[3]				
	$b\overline{b}$	$\leq 1 \mathrm{pb}$	$\lesssim 1\mathrm{pb}$	[3]				
<	jj	$\lesssim~2.5~{\rm pb}$	-	[3]				

Dijet constraints actually weakest!

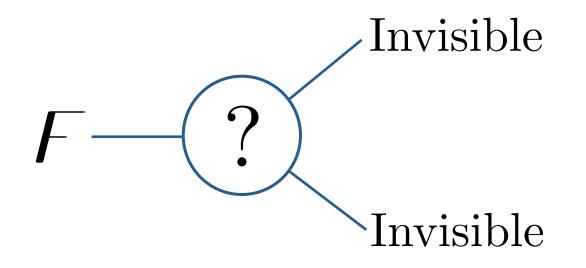
• Excess already points towards 3 fb in digamma.

$\sigma(pp \to \gamma\gamma)$	$\sqrt{s} =$	8 TeV	$\sqrt{s} = 13 \mathrm{TeV}$		
	narrow	broad	narrow	broad	
CMS	$0.63\pm0.31{\rm fb}$	$0.99\pm1.05\mathrm{fb}$	$4.8 \pm 2.1\mathrm{fb}$	$7.7 \pm 4.8\mathrm{fb}$	
ATLAS	$0.21\pm0.22\mathrm{fb}$	$0.88\pm0.46\mathrm{fb}$	$5.5 \pm 1.5 \mathrm{fb}$	$7.6\pm1.9\mathrm{fb}$	

	final	σ at $\sqrt{s} = 8 \mathrm{TeV}$			σ at $\sqrt{s} = 13 \text{TeV}$		
	state f	observed	expected	ref.	observed	expected	ref.
	$e^+e^-, \mu^+\mu^-$	< 1.2 fb	< 1.2 fb	[3]	$< 5\mathrm{fb}$	$< 5\mathrm{fb}$	[259]
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	$tar{t}$	< 450 fb	< 600 fb	[3]			
Invisible decays	invisible	$< 0.8 {\rm ~pb}$	-	[3]			
	bb	$\lesssim 1 \mathrm{pb}$	$\lesssim 1 \mathrm{pb}$	[3]			
	jj	$\lesssim~2.5~{ m pb}$	-	[3]			

What do we learn?

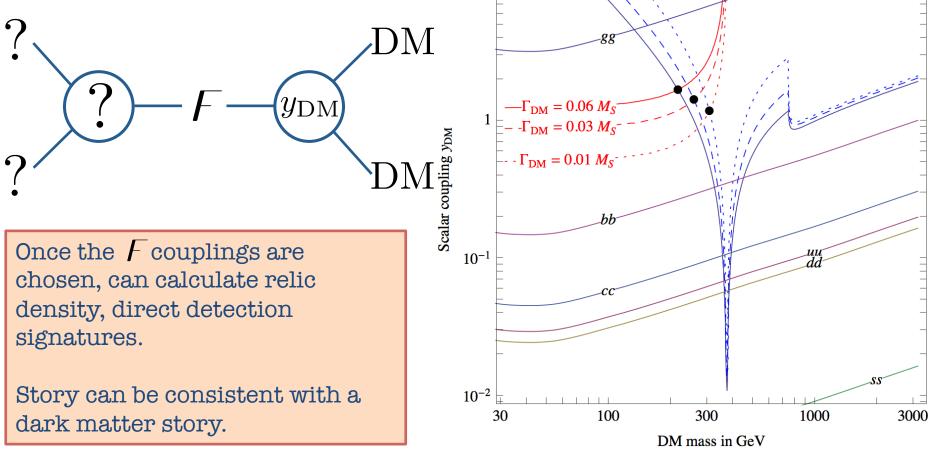
• Decays to



• Would tell us of a connection to the dark sector, giving us our first handle on one of the biggest questions in fundamental physics.

What do we learn?

 In fact, reasonable dark matter connections are possible.



Width 6% everywhere in this plot.

• From the effective theory we see that only three parameters

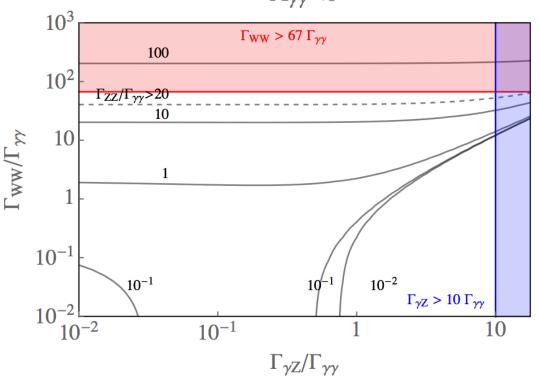
 c_H, c_{BB}, c_{WW}

determine the four decays:

$$F \to \gamma\gamma, \gamma Z, ZZ, W^+W^-$$

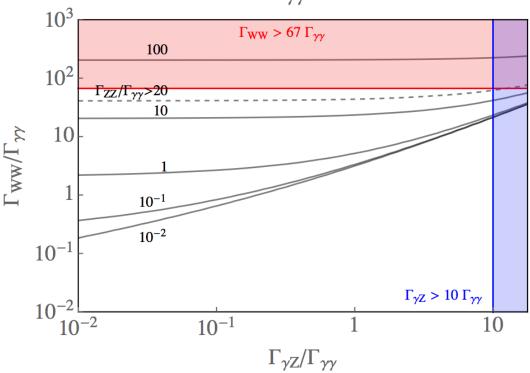
• Thus, if all were observed, system is overconstrained. Before they are all observed can make predictions!

• For CP-even, use ratios to remove one parameter: $\Lambda_{\gamma\gamma} < 0$



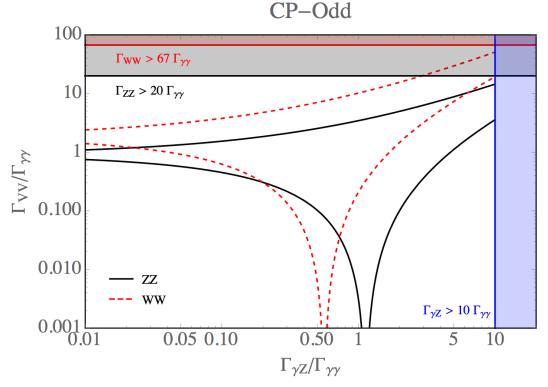
- Note cannot have all decays vanishing. One more <u>must</u> exist with measurable branching ratio.
- Constraints already relevant!

• For CP-even. use ratios to remove one parameter: $\Lambda_{\gamma\gamma}>0$



• Sign ambiguity for CP-even operator means two plots, similar in asymptotic corners.

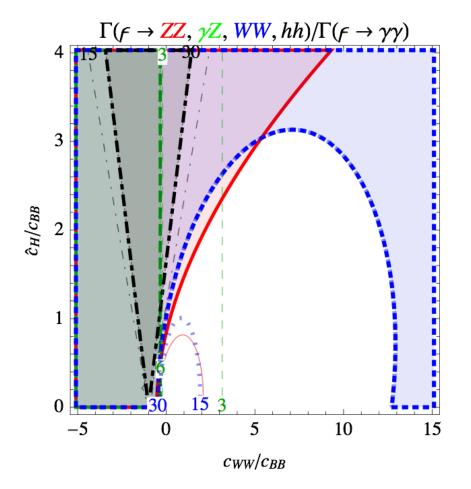
• For CP-odd, even fewer parameters:



• See even more clearly that it is impossible to avoid a signature in another channel!

What we know?

• We already have pretty strong constraints...



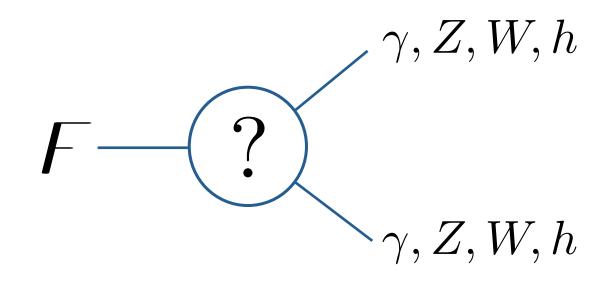
Clearly additional constraints are important. For example, digamma decays coming only from the coupling:

$$c_{WW}\frac{g_2^2}{2}W^a_{\mu\nu}W^{a\,\mu\nu}$$

are ruled out already! This is important as it means new charged matter in loops must carry hypercharge!

What do we learn?

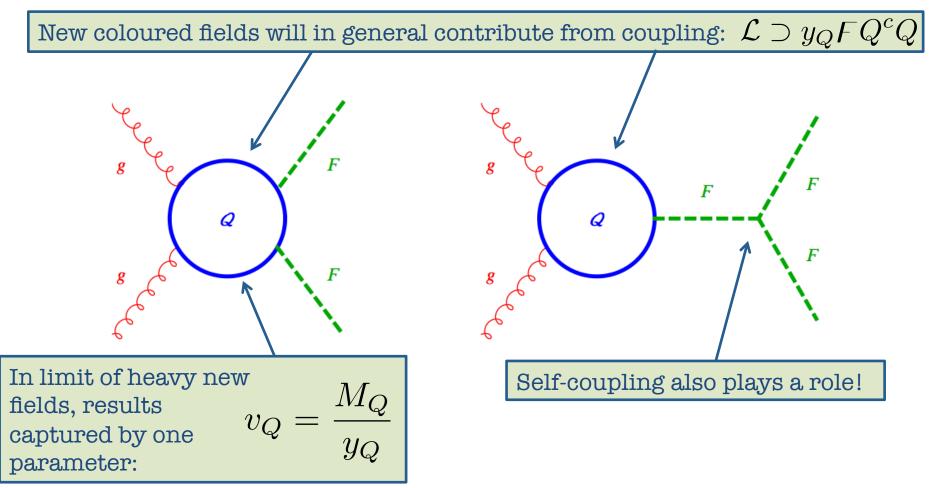
• Decays to



- Would give
 - Hints on the quantum numbers of new EW states.
 - On mixing with the Higgs.
 - On validity of EFT description.

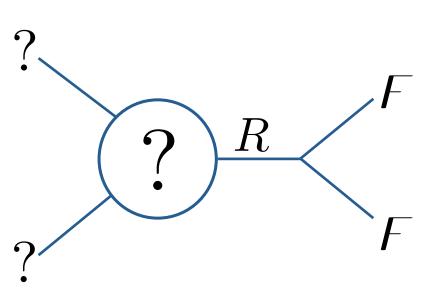
- In the longer term, if you can produce it singly, you can produce it doubly.
- Can parameterise in terms of dimension-6 operators $\mathscr{L}_{6} = \frac{F^{2}}{\Lambda^{2}} \left[c_{gg}^{(6)} \frac{g_{3}^{2}}{2} G_{\mu\nu}^{a} G^{a\,\mu\nu} + c_{WW}^{(6)} \frac{g_{2}^{2}}{2} W_{\mu\nu}^{a} W^{a\,\mu\nu} + c_{BB}^{(6)} \frac{g_{1}^{2}}{2} B_{\mu\nu} B^{\mu\nu} + c_{\psi}^{(6)} \left(H \bar{\psi}_{L} \psi_{R} + \text{h.c.} \right) \right. \\ \left. + c_{H}^{(6)} |D_{\mu}H|^{2} - c_{H}^{(6)'} (|H|^{4} - v^{4}) \right] + \frac{c_{H2}^{(6)}}{\Lambda^{2}} \frac{(\partial_{\mu}F)^{2}}{2} \left(|H|^{2} - v^{2} \right) + \mathcal{O}(F^{4}) \,,$
- In fact, this is the most general set of operators.
- However, single production gives no guidance on double...

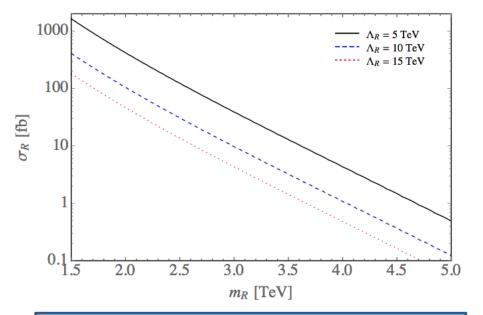
• If we have a model, we can make predictions based on chosen parameters.



• If we have a model, we can make predictions based on chosen parameters. v_Q [GeV] = $\frac{M_Q}{y_Q}$ 4qfinal state 10^{2} 10³ may show up soon M_L =400 GeV, M_Q =800 GeV, κ =0, $\Gamma = \Gamma_{gg} + \Gamma_{\gamma\gamma\gamma}$ σ^{ff} enough. 10^{4} 10³ $2\gamma 2g$ 10² final state may take longer. 10 σ [fb] Pair 10^{-1} production 10^{-2} is already a constraint Excluded by 10^{-3} on this $\sigma_{4g}^{ff} > 100 \text{ fb}$ model! 10 10^{-7} 0-6 10^{-5} 10^{-4} 10^{-3} 10^{-2} $\sigma_{gg \to F} < \sigma_{\gamma\gamma \to F} \qquad \sigma_{gg \to FF} < \sigma_{\gamma\gamma \to FF} \quad \Gamma_{gg}/M$

• If there are other scalar resonances, pair production could be resonantly enhanced..





For reasonable parameters "R" production cross section can be large, thus pair production is enhanced.

What do we learn?

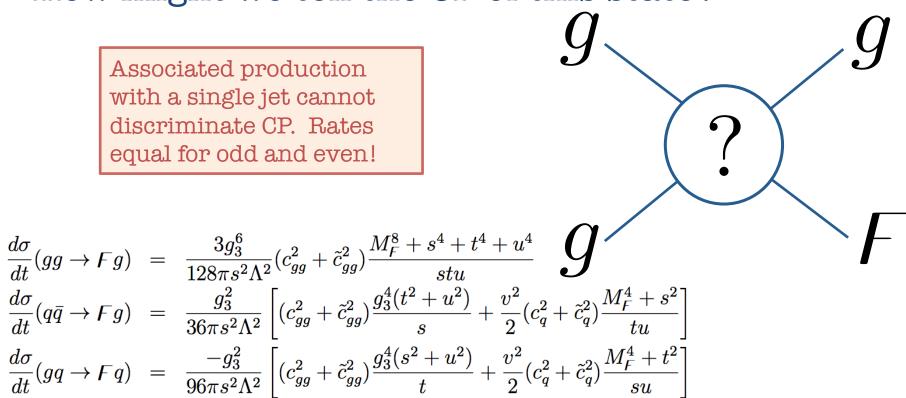
• Pair production of the resonance is possible

and, if we are lucky, could be observed at the LHC.

- This would give us guidance on the underlying theory and maybe even the self-coupling.
- It could also be the discovery channel for other new scalars!

$\mathsf{IsCP}(\mathit{F}) = \mathit{F?}$

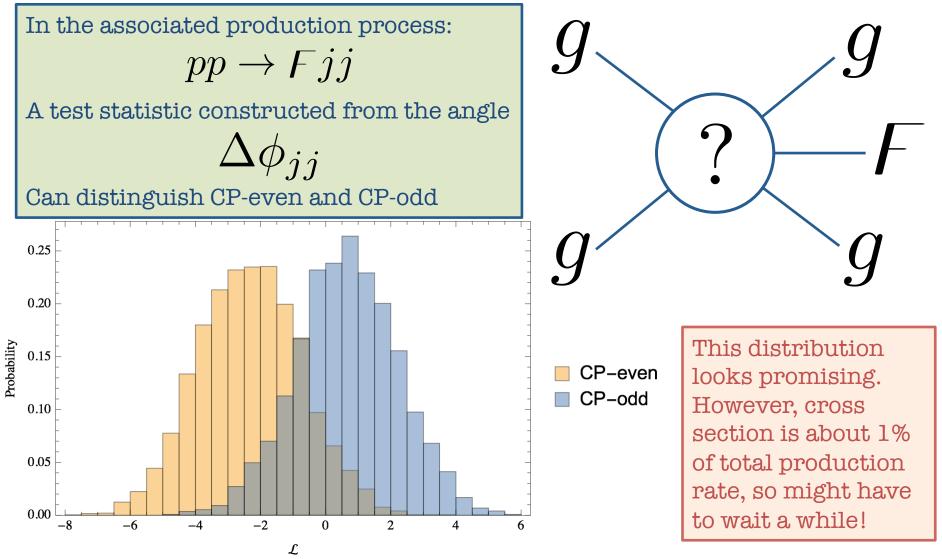
• How might we tell the CP of this state?



Aside, for scalars much machinery can be migrated from work on Higgs. For example, these formulae from classic Higgs+jet text, Ellis, Hinchliffe, Soldate, Van Der Bij, 1988.

IsCP(F) = F?

• How might we tell the CP of this state?



IsCP(F) = F?

The decay

$$F \rightarrow \gamma \gamma$$

Predicts the four-body decay $\not F \to \gamma^* \gamma^*$

$$\rightarrow l^+ l^- {l'}^+ l^- {l'}^-$$

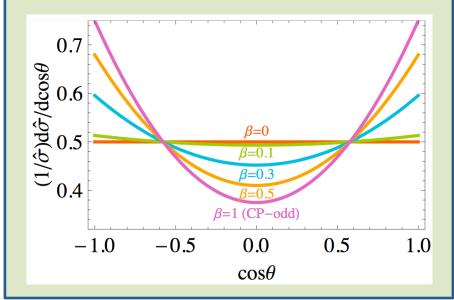
If observed with high enough statistics, angular variables could discriminate CP.

However, the decay rate is about 0.1% of the total photon rate, so would have to wait a long time...

Depending on the couplings, angular distribution in associated production

$$pp \to ZF$$

Could be used



Finally, if observed, the decay $F \rightarrow hh$ would unambiguously single out CP-even.

What do we learn?

• Learning the CP would be a huge boon with regards to the full theory.



What do we learn?

• Learning the CP would be a huge boon with regards to the full theory.

CP-Even

Perhaps it is some sort of Higgs boson of a new sector of particles? Or even a second Higgs boson of a 2HDM?

Typically difficult to have CPeven scalars significantly lighter than other states, so should be other states nearby.

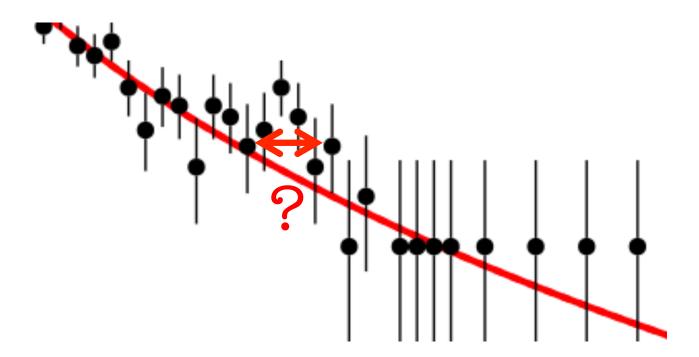
CP-Odd

Perhaps it is a pion of some hidden sector strong dynamics?

Due to Goldstone's theorem, a pseudo-Goldstone boson can be naturally light, thus no theoretical motivation for additional states nearby (although couplings may point towards that situation anyway)

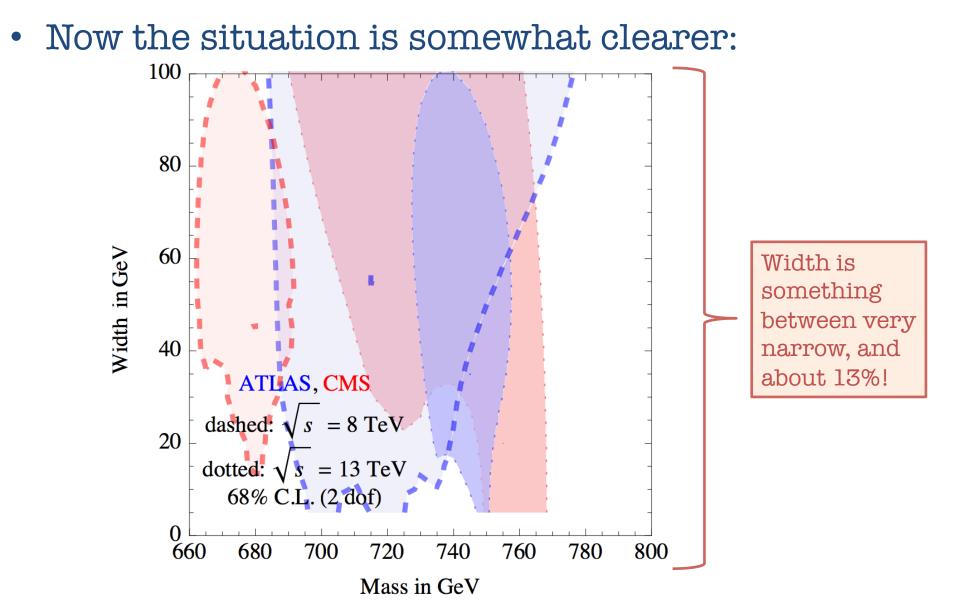
What is the width?

• Realistically, best chance to measure it is:



• There were indications in December that maybe the width was large, about 6%...

What is the width?



What do we learn?

- The width is a crucial indicator of the big picture. Would give clues as to the overarching structure.
 - Difficult to get large width in perturbative models, especially with loops.
 - If couplings are large (non-perturbative) then it is much easier to generate a large width.

• Also, with width can convert rates to absolute couplings!

$$\sigma(XX \to F \to YY) \propto \frac{c_{XX}^2 c_{YY}^2}{\Gamma}$$

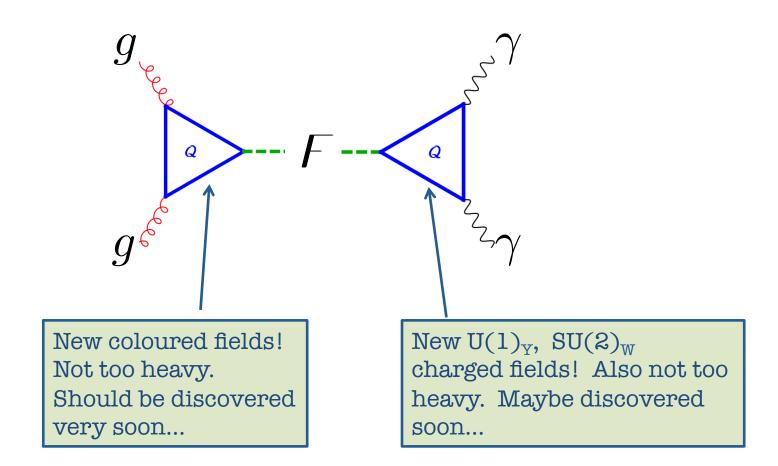
Comment on Future...

- The diphoton channel is very clean and, much like the Higgs discovery, not much machinery is needed to extract the overall signal.
- For most of what I have said:
 - Other decay channels
 - Associated production
 - Distributions

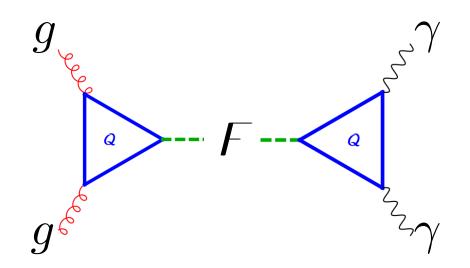
-

• This will not be the case. To understand new particle and tease out properties, precision SM will play a central role, just as it is with Higgs.

• For a weakly coupled model there are not so many options. Most popular is

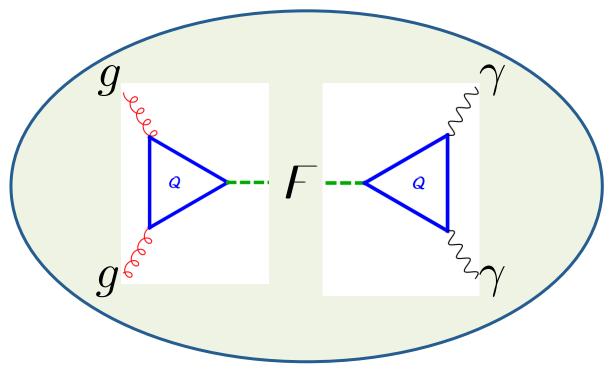


• For a weakly coupled model there are not so many options. Most popular is



Of course, this structure may be embedded in any number of other models...

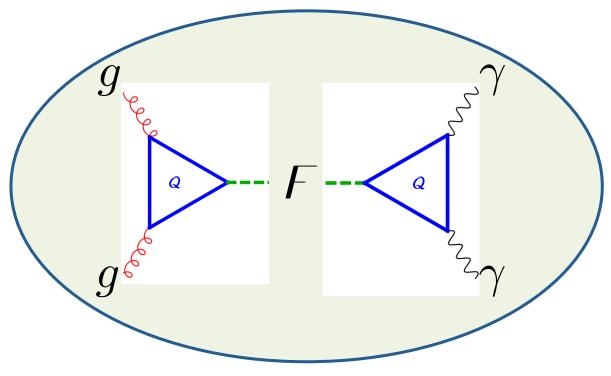
• For a weakly coupled model there are not so many options. Most popular is



"This is the MSSM!

If I add some vector-like quarks...

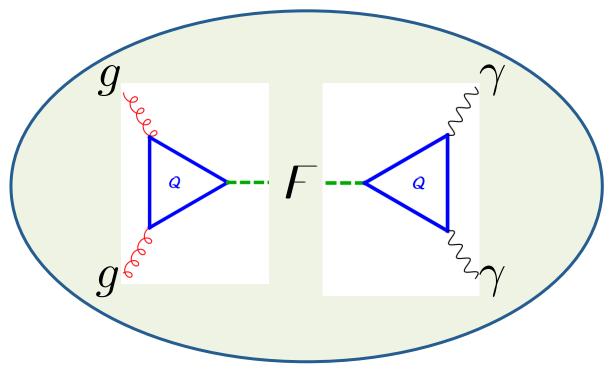
• For a weakly coupled model there are not so many options. Most popular is



"This is the NMSSM!

If I add some vector-like quarks...

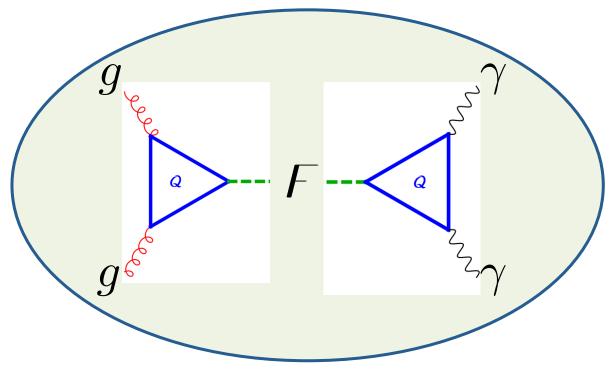
• For a weakly coupled model there are not so many options. Most popular is



"This is the MRSSM!

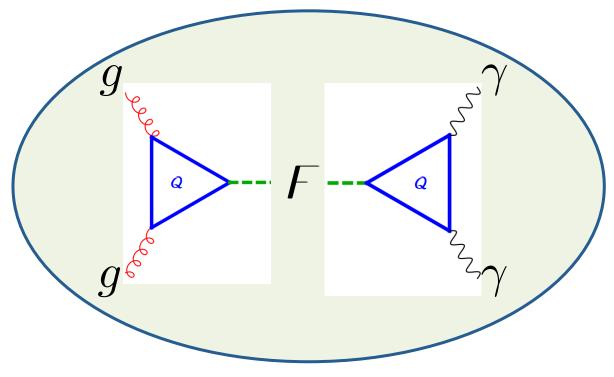
If I add some vector-like quarks...'

• For a weakly coupled model there are not so many options. Most popular is



"This is a GUT! If I add some vector-like quarks..."

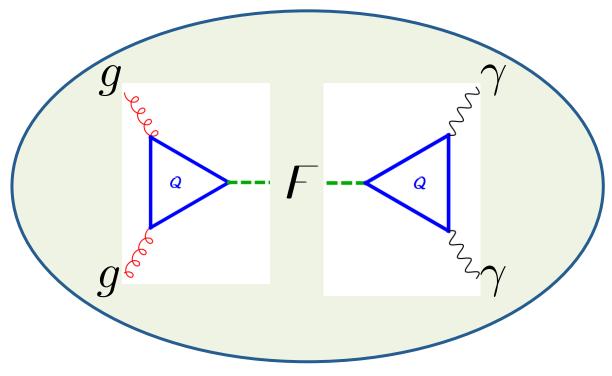
• For a weakly coupled model there are not so many options. Most popular is



"This is a Left-Right Model!

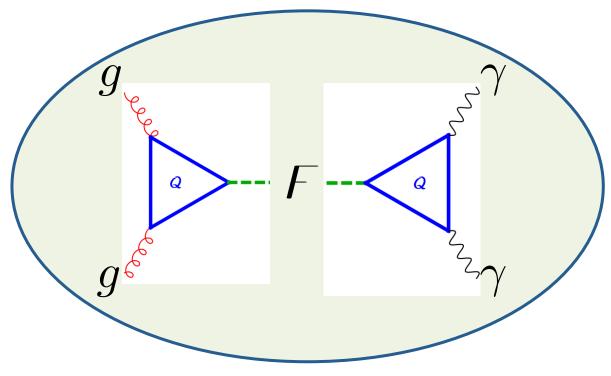
If I add some vector-like quarks...

• For a weakly coupled model there are not so many options. Most popular is



"This is my neutrino mass model! If I add some vector-like quarks..."

• For a weakly coupled model there are not so many options. Most popular is



"This is my dark matter model!

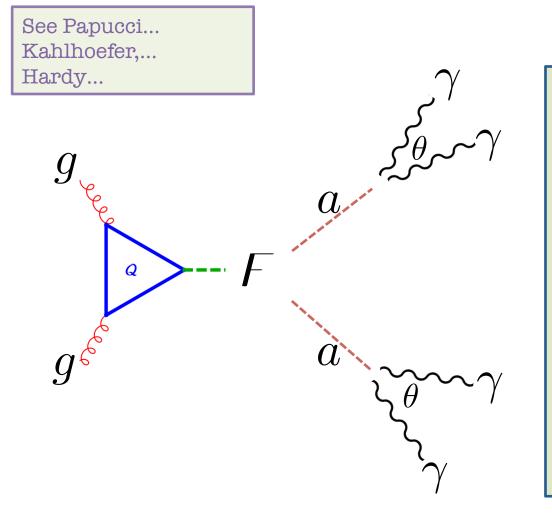
If I add some vector-like quarks...

• For a weakly coupled model there are not so many options.

Always read the fine print.

In my opinion, this is not (yet) pointing clearly towards any particular perturbative UV framework.

• These are a few of my favourite things....



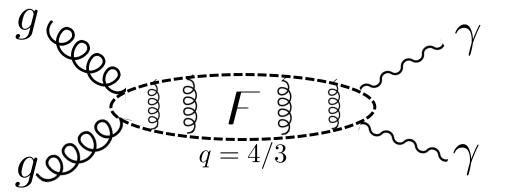
Since we have: $\theta \propto \frac{m_a}{m_F}$

If the mass of the new pseudoscalar is small enough, something like 100's MeV, then photons appear as one!

Should be testable if they can be resolved.

• These are a few of my favourite things....

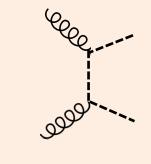
See Kats & Strassler.



Quite surprisingly, the resonance could be a pair of charged and coloured scalars in a very weakly bound state due to QCD.

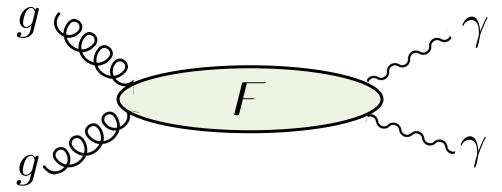
Same works for fermions!

Of course, there is still continuum production of the scalars...



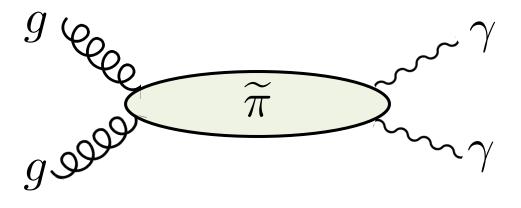
But this can be (just!) hidden from decays to dijets: \overline{q}

• Somehow, an explanation based on a new strongly coupled sector seems appealing.



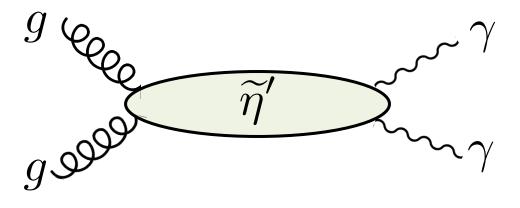
- If a large width persists this will be very suggestive of strongly coupled, although could also be narrow in strongly coupled scenarios.
- May fit nicely within composite Higgs models, although the following may arise with connection to EW sector too.

• Somehow, an explanation based on a new strongly coupled sector seems appealing.



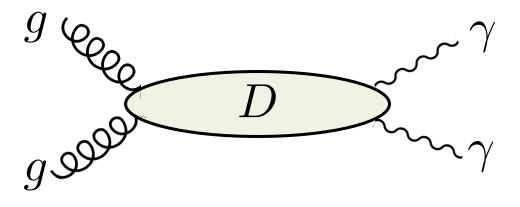
The new state could plausibly be the pion of a new strong sector, analogous to the pions we observe in the SM. May be difficult to get large enough couplings to gauge field though if spontaneously broken global symmetry commutes with SM gauge symmetries.

• Somehow, an explanation based on a new strongly coupled sector seems appealing.



Perhaps it could be more like the eta' of SM QCD. In this case, for example, the global symmetry is anomalous under the SM gauge symmetries, thus larger couplings to gauge fields can arise.

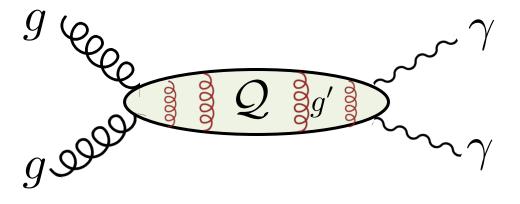
• Somehow, an explanation based on a new strongly coupled sector seems appealing.



Similarly, it could be the dilaton, which is the pseudo-Goldstoneboson of spontaneously broken conformal (i.e. energy-scale) invariance.

In this case the couplings can also be large enough.

• Somehow, an explanation based on a new strongly coupled sector seems appealing.



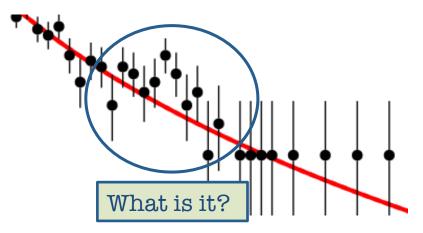
If there are new heavy quarks charged under a new strongly coupled gauge group, but with mass near the strong coupling scale: $M_q \gtrsim \Lambda'$

Then the state could be like quarkonium (think of it as J/ψ or Υ). Maybe we could see the excited states? Summary

A Minimal Explanation

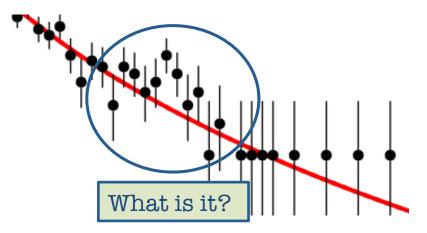
Statistical Fluctuation





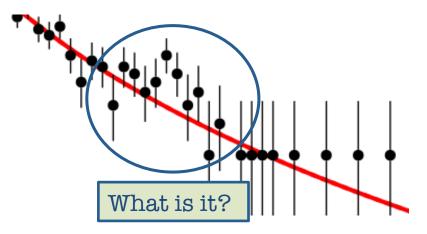
- This could be the first evidence of particles beyond the Standard Model (don't say neutrino masses.)
- Theory community reacting accordingly:
 - Many ideas for models
 - Emerging ideas for phenomenological tests





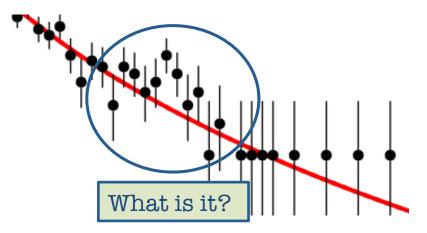
- In this talk we have seen:
 - We already have quite a lot of info from other null searches.
 - There are many ways to determine the properties of this particle.
 - Other decays should be there soon.
 - Associated production will clarify many properties.





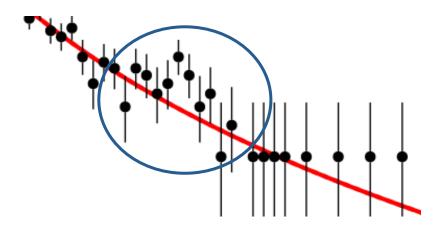
- In this talk we have seen:
- In almost every model this must be the tip of the iceberg...
 - Weakly coupled: New coloured states soon.
 - Strongly coupled: An arsenal of resonances should be waiting in the wings.





- In this talk we have seen:
- If it is real, this particle is in itself thrilling. However, it may also hold the key to some of natures greatest mysteries!
 - Is there a connection with dark matter?
 - Is there a connection with the hierarchy problem?

Summary



Who ordered that?